

# Development of high-resolution coastal model around Hokkaido for fisheries science

-A study on passive transport  
of eggs, larvae and juveniles of walleye pollock-

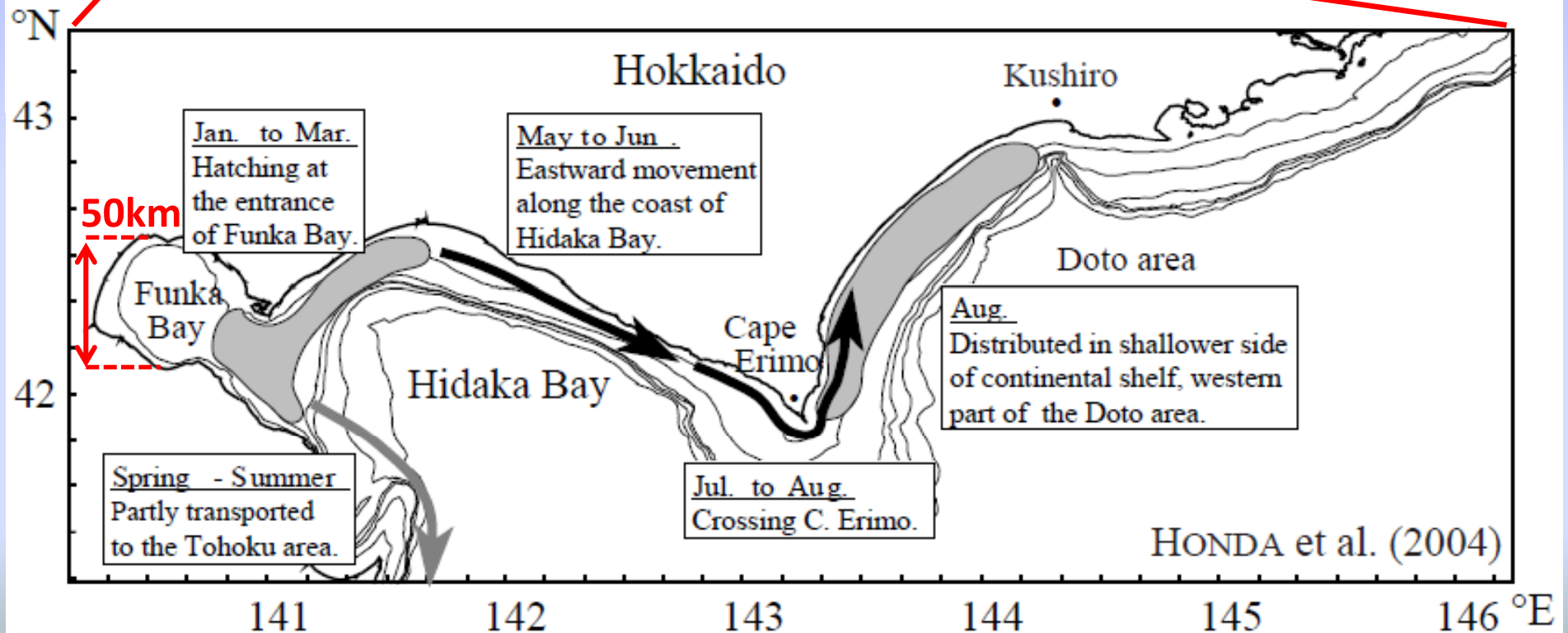
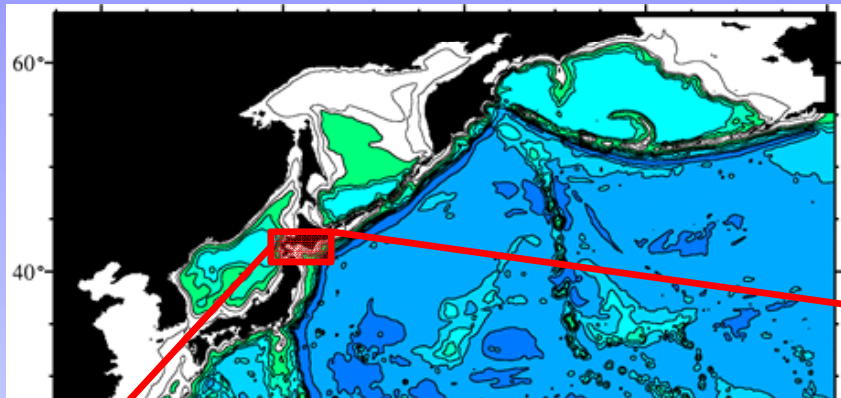
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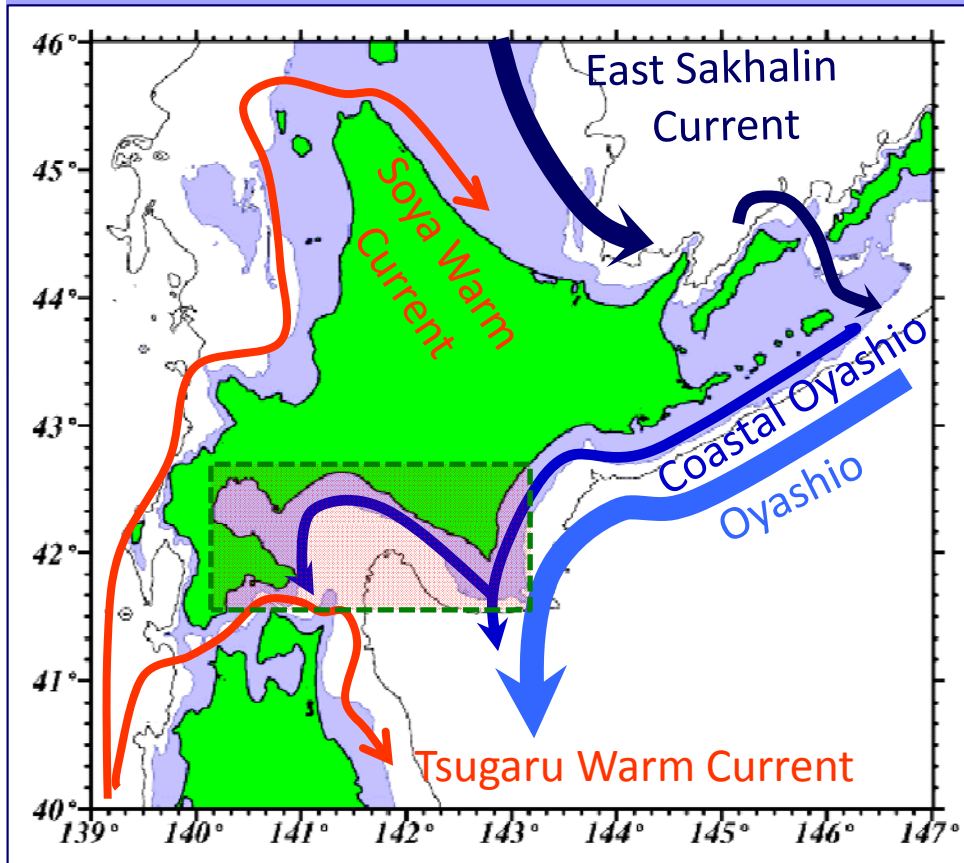
# Early life history of Japanese Pacific walleye pollock, *Theragra chalcogramma*



One of the favorable conditions for recruitment ~ remaining in Funka Bay

# Oceanographic condition in winter (spawning season)

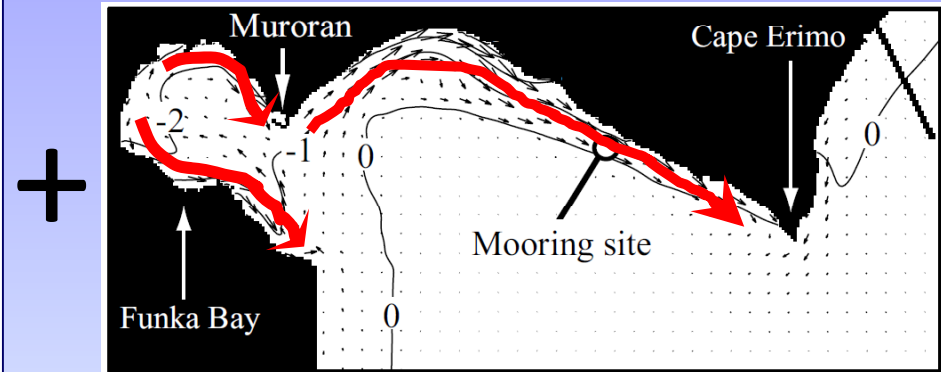
## (1) The Coastal Oyashio current



The Coastal Oyashio water  
Low temperature ( $<2^{\circ}\text{C}$ )  
Low salinity ( $<33\text{psu}$ )

High-resolution model with grid sizes less than a few km is essential.

## (2) Wind-driven current

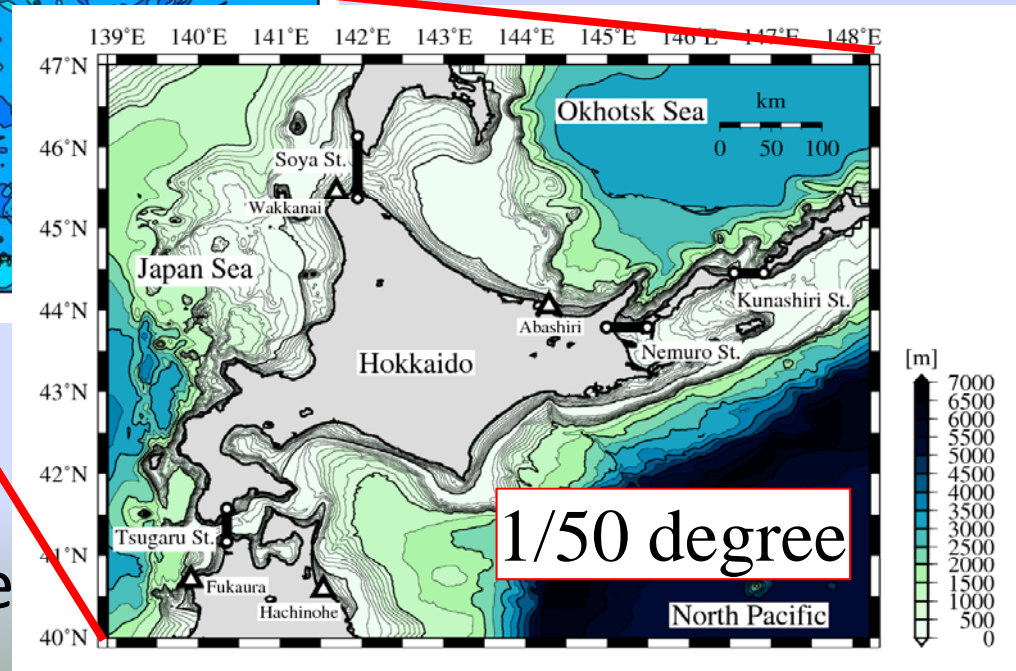
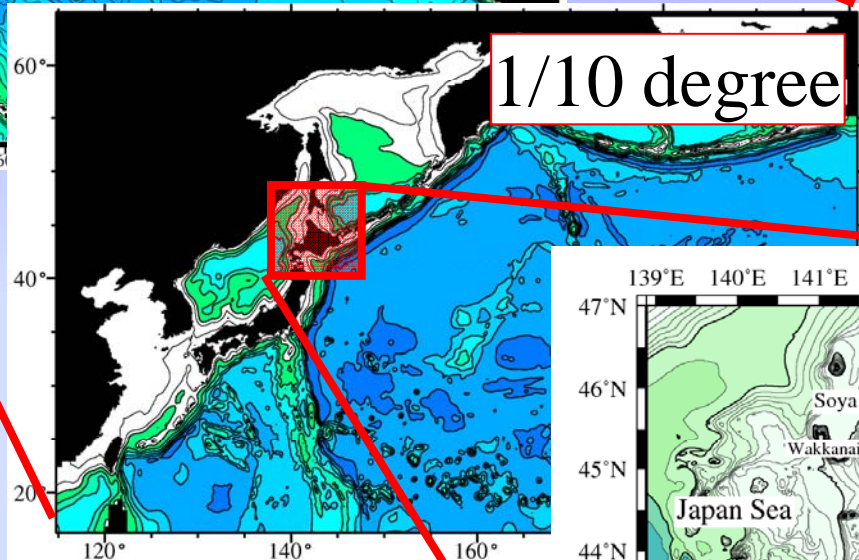
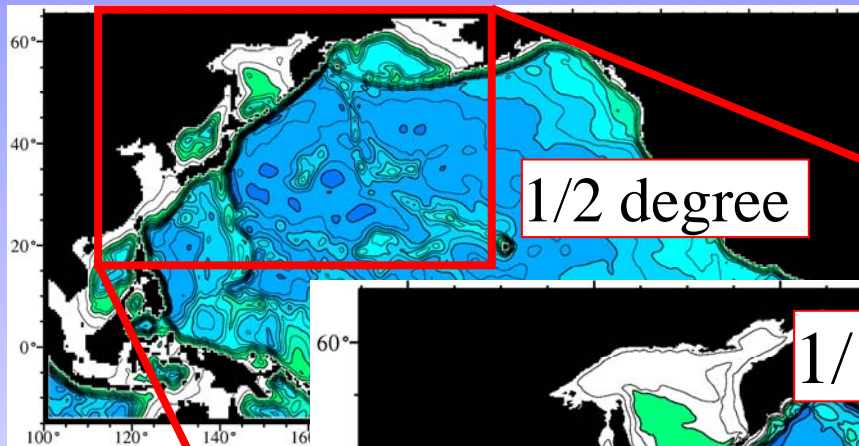


= Superposition of  
(1) The CO current &  
(2) Wind-driven current

## Purpose of this study

- (1) To develop a high-resolution coastal model to simulate realistic oceanographic conditions around Funka Bay
- (2) To examine effects of the high-resolution modeling on particle-tracking experiments (passive)
- (3) To discuss buoyancy effects on vertical motion of the particles (non-passive)

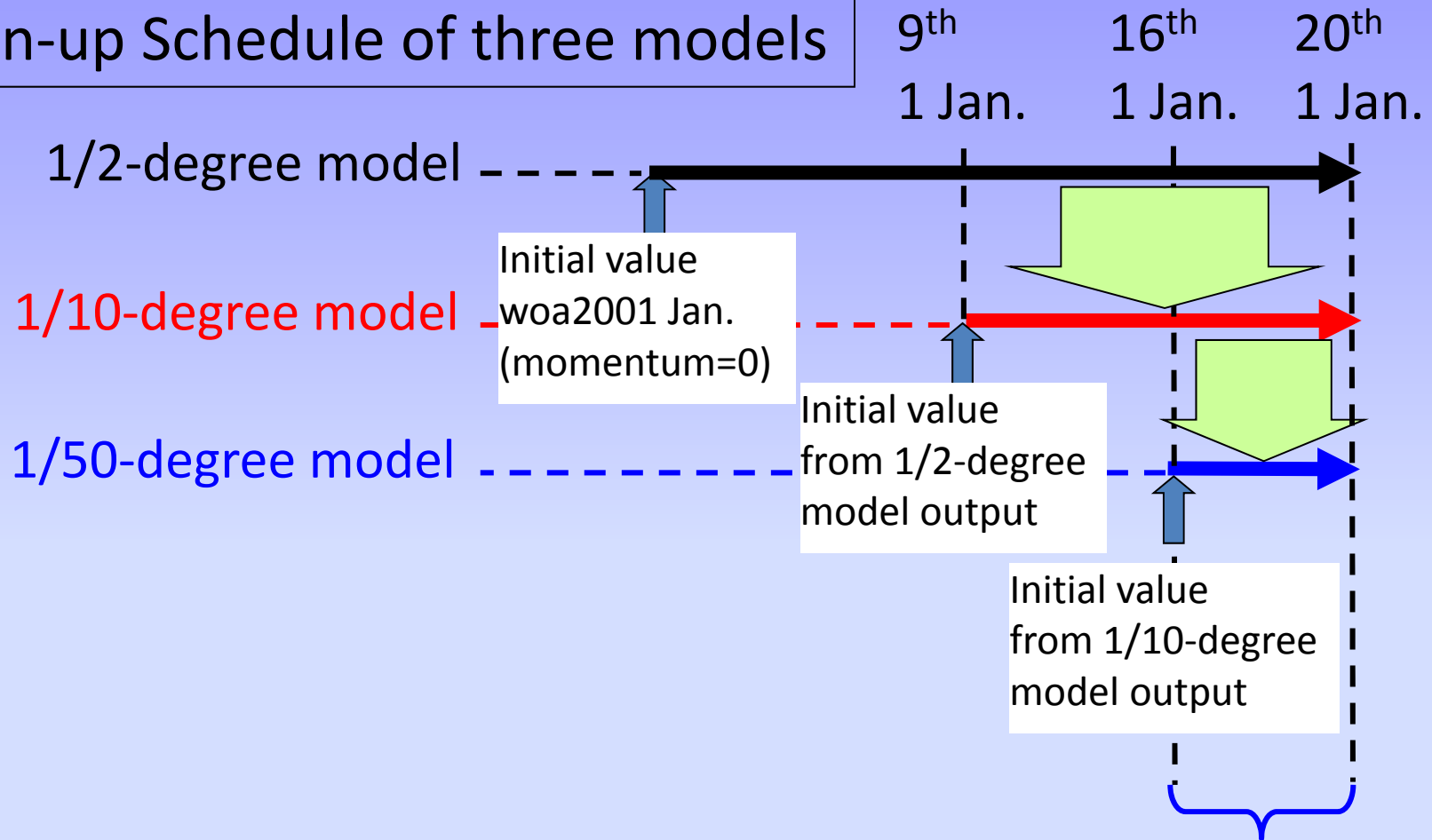
# Model Configuration



Triply-nested model based on Regional Ocean Modeling System (one-way nesting)

Spin-up experiments driven by climatological forcings with an annual cycle

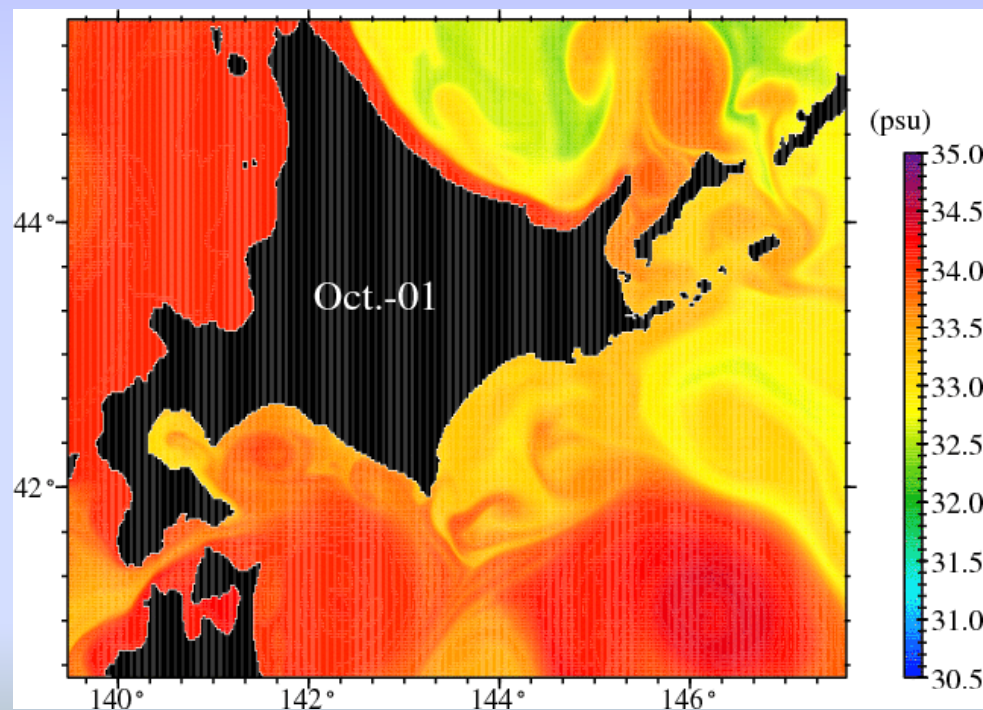
# Spin-up Schedule of three models



Total: 5-year simulation  
Analysis: 2<sup>nd</sup> year to 5<sup>th</sup> year

Seasonal variation  
simulated by the high-resolution model

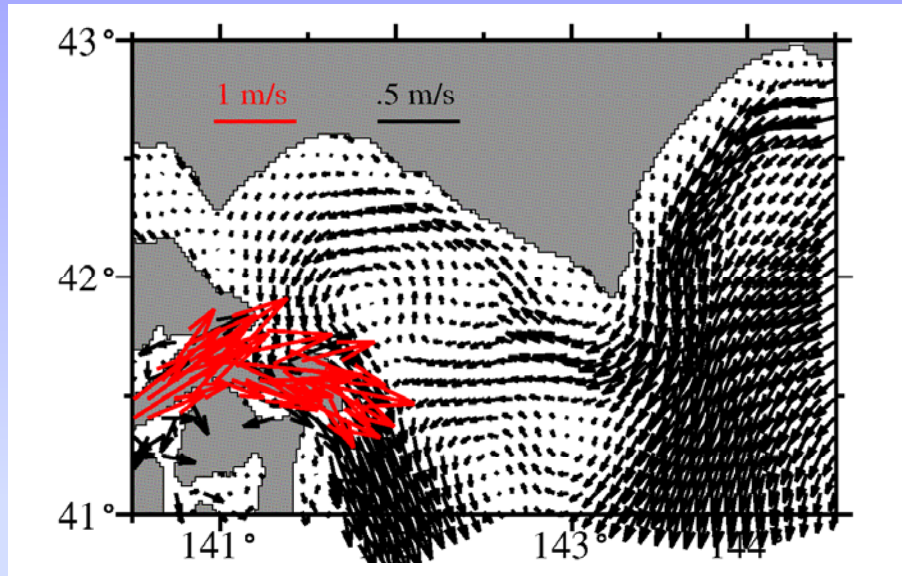
Sea surface salinity (4<sup>th</sup> October to 5<sup>th</sup> April)



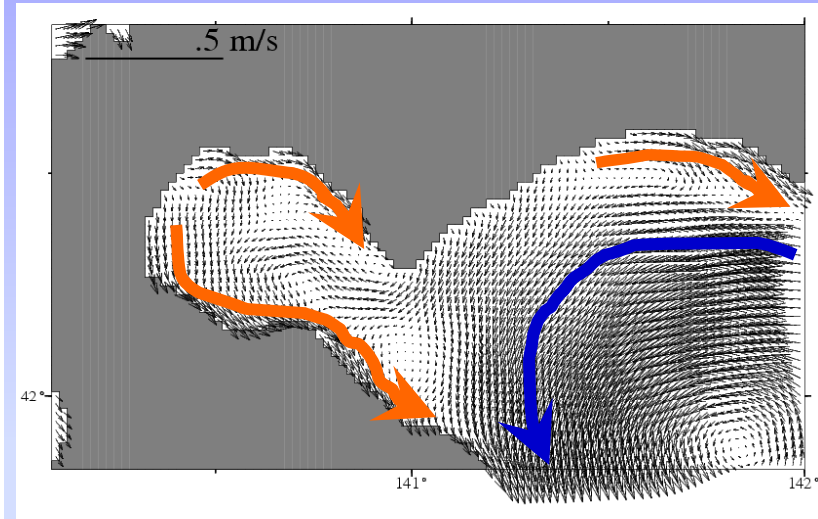
# –Seasonal current at the sea surface–

## Mean state (Jan. to Mar.)

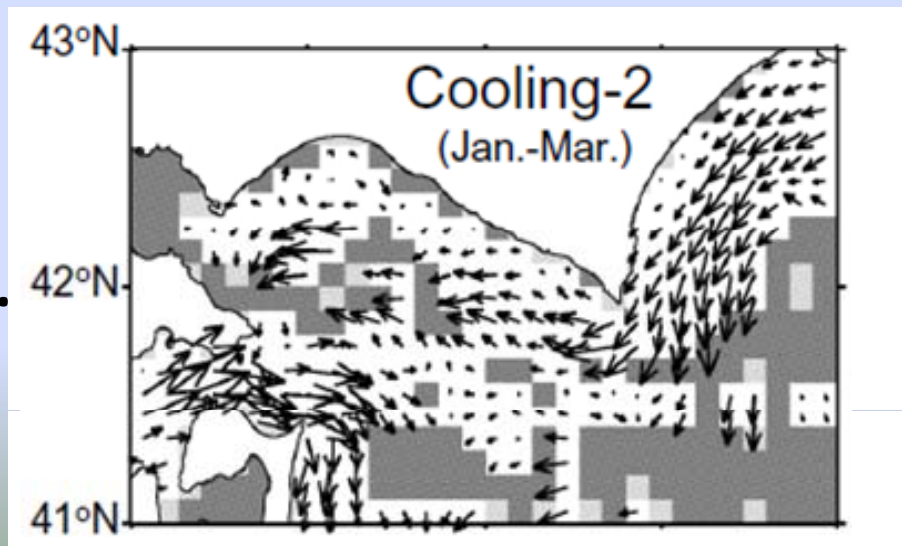
Sim.



simulation



OBS.



Typical currents

- Wind-driven current
- Coastal Oyashio current

Rosa et al. (2009)



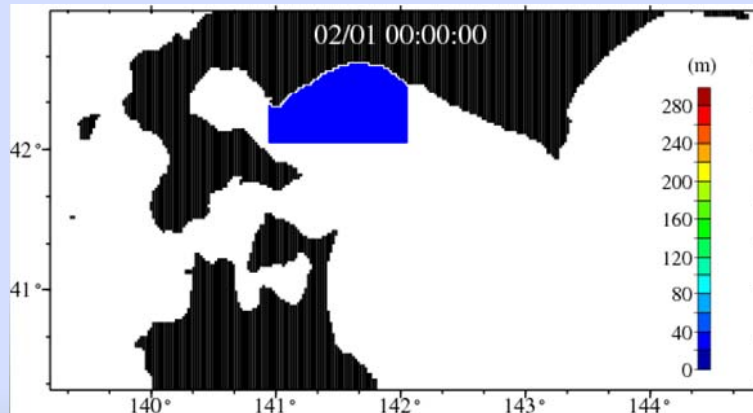
# Overview of Particle-Tracking Model

(LTRANS code is modified)

Equation: 
$$\begin{cases} x_{n+1} = x_n + u_{\text{model}} \delta t \\ y_{n+1} = y_n + v_{\text{model}} \delta t \\ z_{n+1} = z_n + w_{\text{model}} \delta t \end{cases}$$

Turbulent diffusions are neglected for the basic case.

Initial Condition:



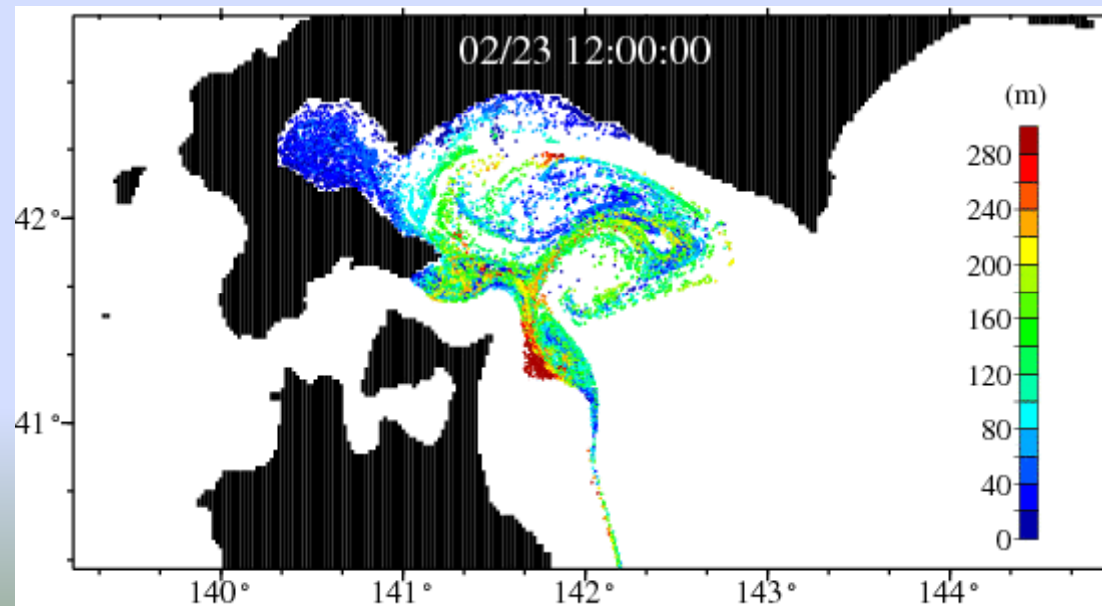
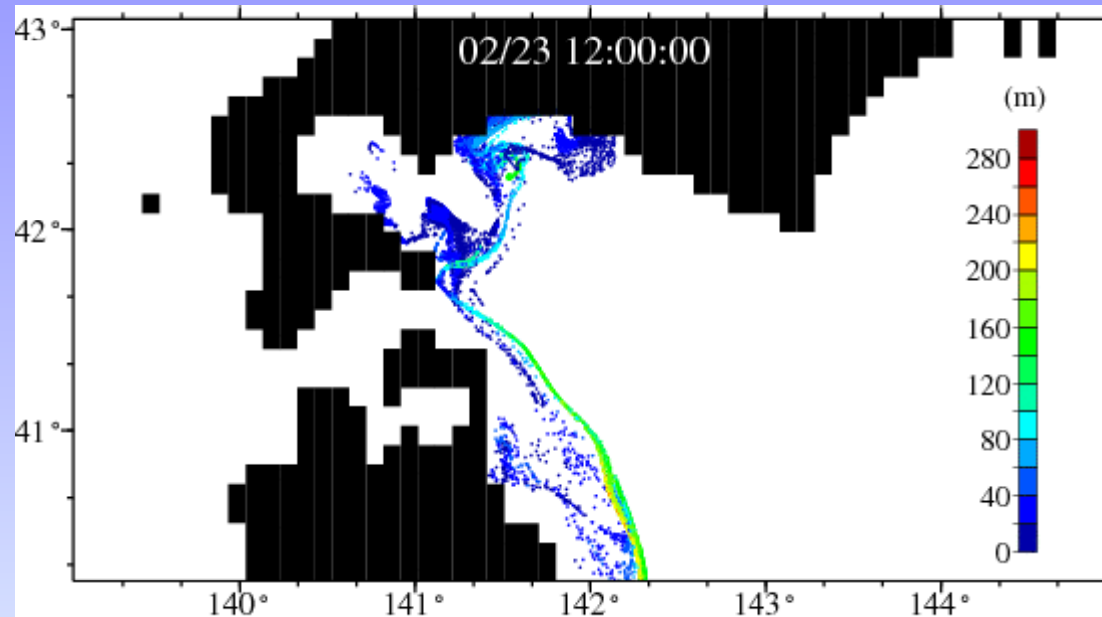
Initially, on 1 Feb., particles are set at the depth of 10m. Particles are tracked for 2 months.

# Impacts of high-resolution modeling

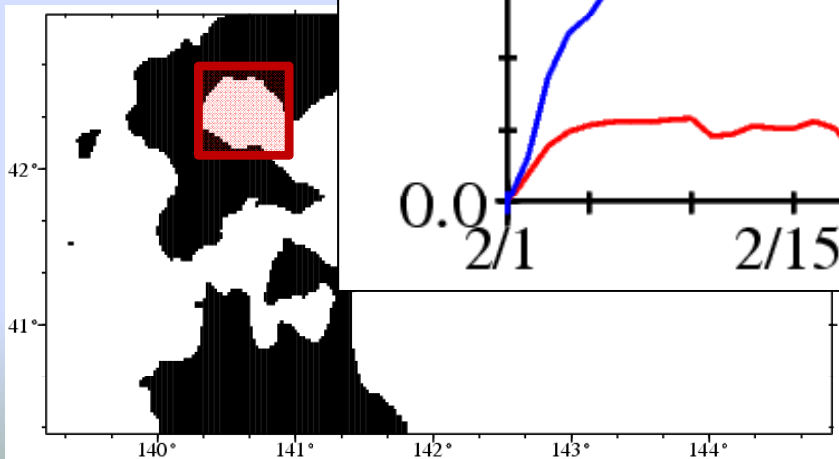
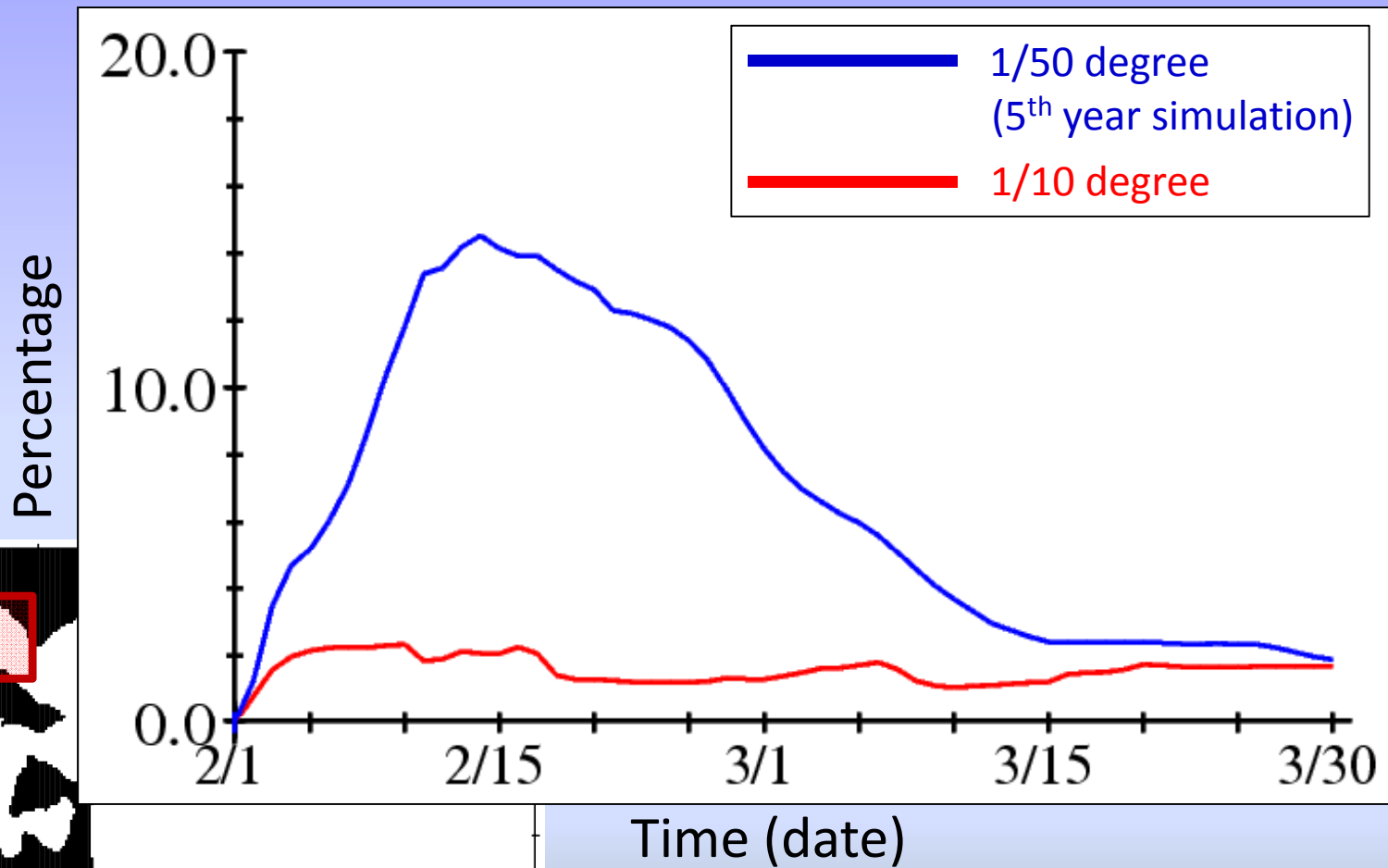
1/10-degree  
model

Same Forcings

1/50-degree  
model  
(5<sup>th</sup> Feb. to Mar.)

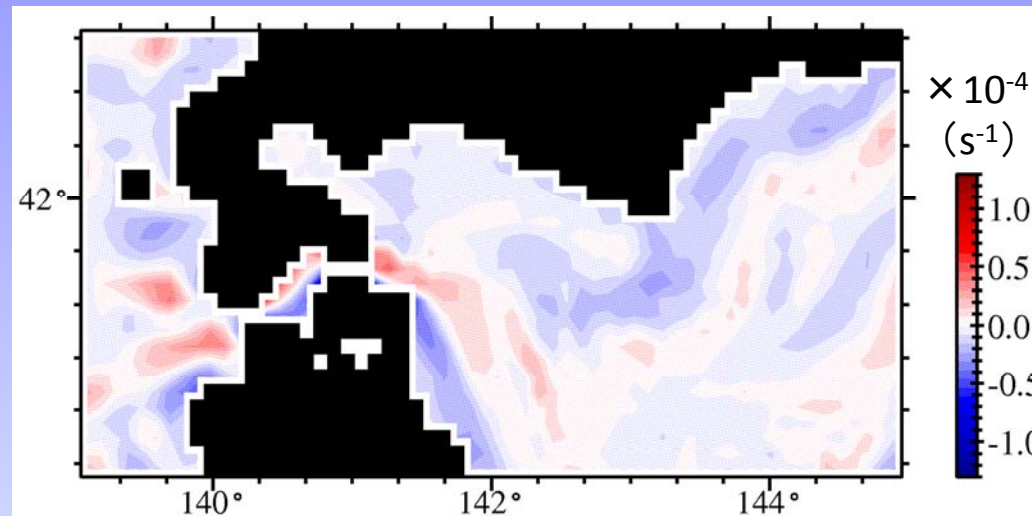


# Ratio of particles within Funka Bay to released total particles



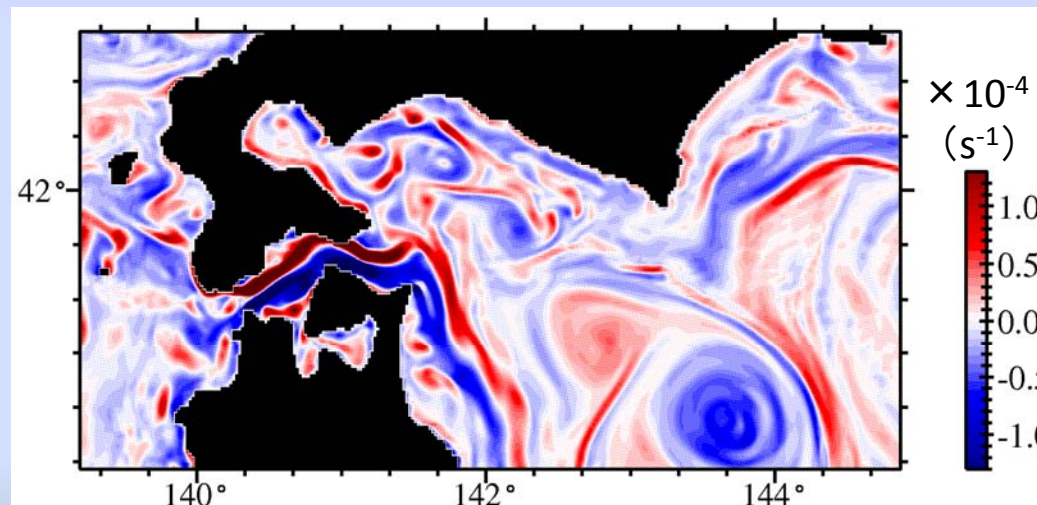
# Relative vorticity at 10m on 1 Feb.

1/10°  
model



$$\text{vorticity} = \frac{\partial v}{\partial x} - \frac{\partial u}{\partial y}$$

1/50°  
model



Horizontal dispersion in the 1/50-degree model is enhanced by small-scale variability (~submesoscale variability)

# Temporal change of egg density (Yamamoto et al., 2009))

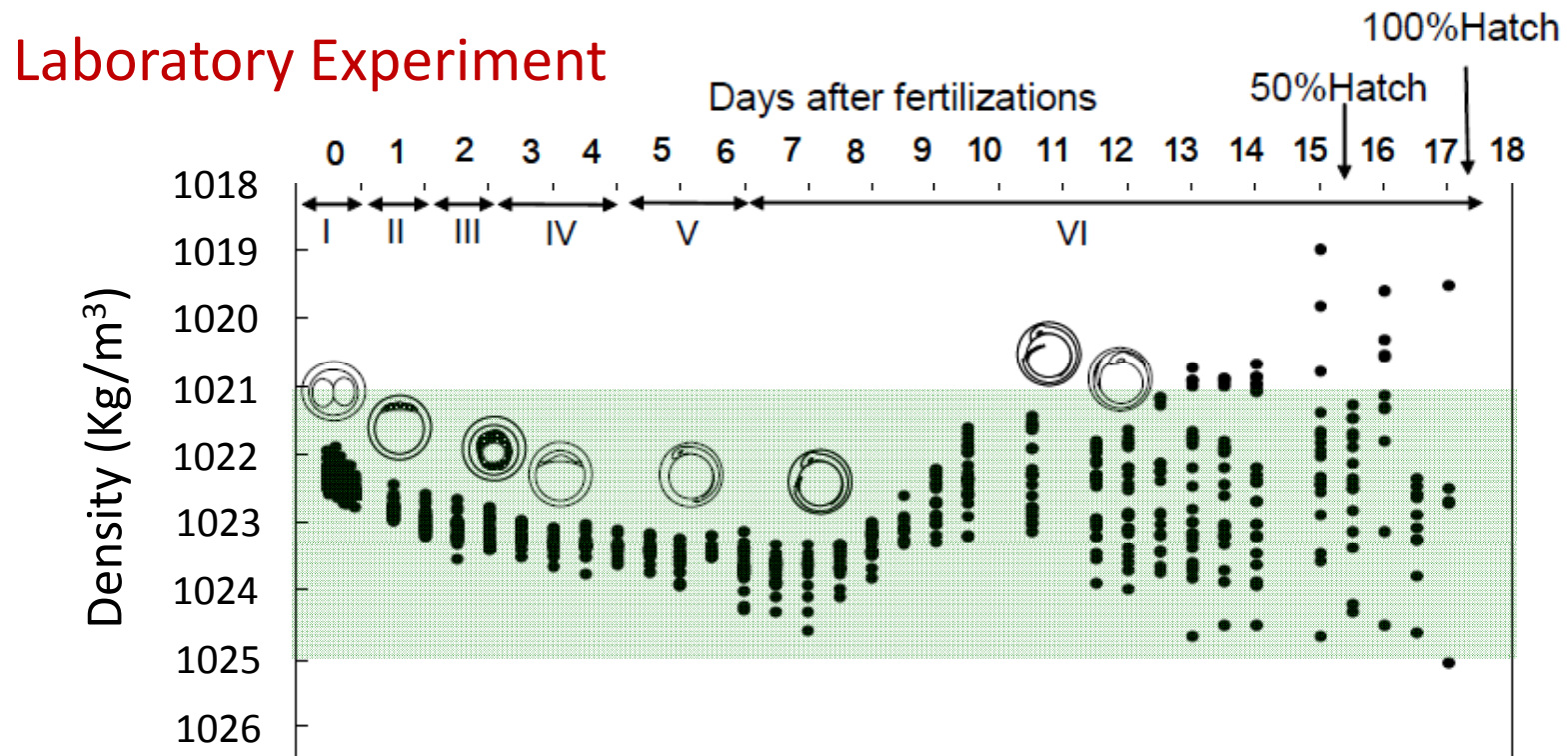


Fig. 2 The change in the density ( $\sigma$ ) of the egg during development. Note the inverted y axis.

The density of egg = 1021-1025 Kg/m<sup>3</sup>

The density of sea water within the mixed layer > 1026 Kg/m<sup>3</sup>

➔ Buoyancy should be important for the vertical motion of particles.

# The second particle-tracking experiment Including buoyancy

$$\begin{cases} x_{n+1} = x_n + u_{\text{model}} \delta t \\ y_{n+1} = y_n + v_{\text{model}} \delta t \\ z_{n+1} = z_n + (w_{\text{model}} + w_{\text{buoyancy}}) \delta t \end{cases}$$

Stokes' law (terminal velocity)

$$w_{\text{buoyancy}} = \frac{1}{18} g d^2 \frac{(\rho_{\text{water}} - \rho_{\text{particle}})}{\rho_{\text{water}}} \nu^{-1}$$

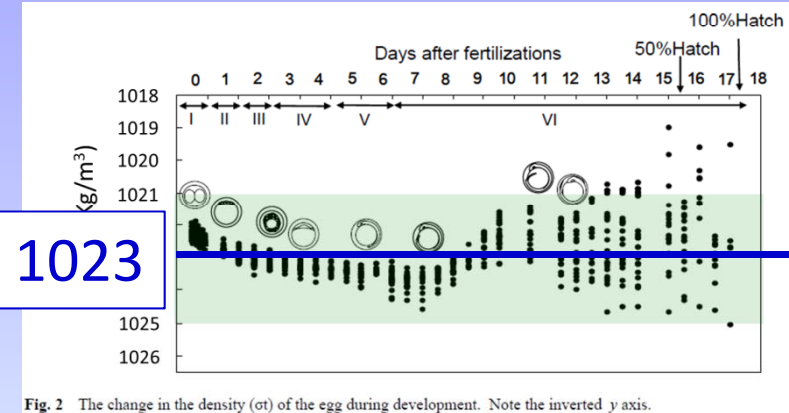


Fig. 2 The change in the density ( $\sigma$ ) of the egg during development. Note the inverted y axis.

$\rho_{\text{egg}}$  : density of particle (default =  $1023 \text{ Kg m}^{-3}$ )

$d$  : diameter of particle ( $\sim 1.5 \times 10^{-3} \text{ m}$ )

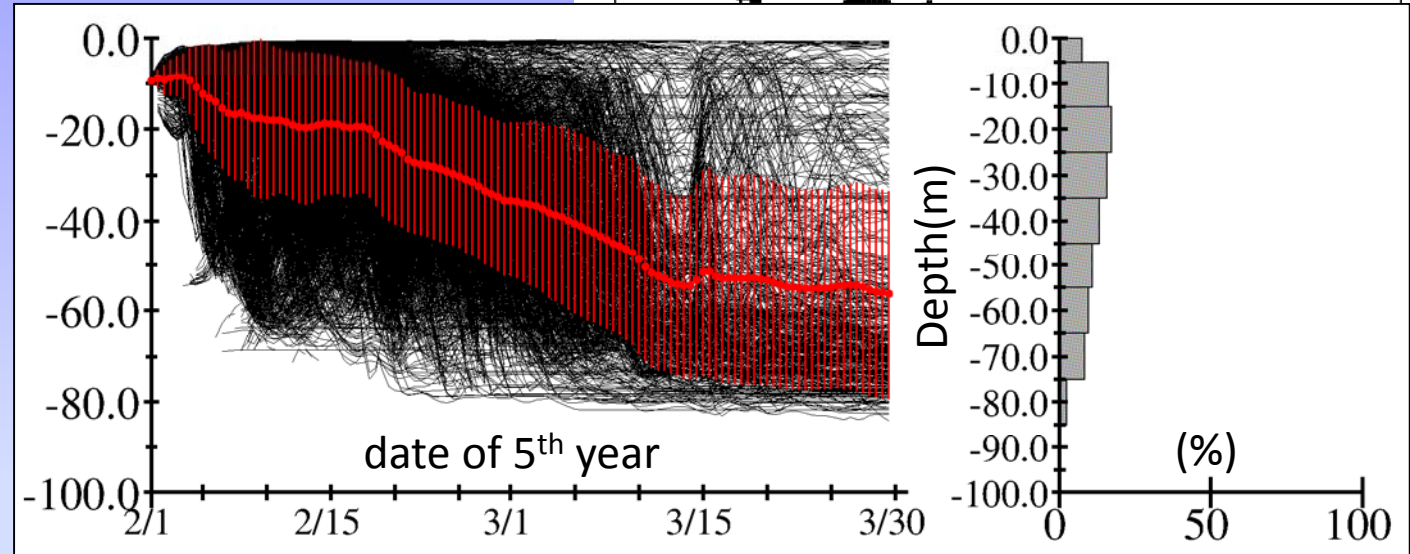
$\nu$  : kinematic viscosity of water ( $\sim 1.5 \times 10^{-6} \text{ m}^2 \text{ s}^{-1}$ )

$g$  : gravity acceleration ( $\sim 9.8 \text{ ms}^{-2}$ )

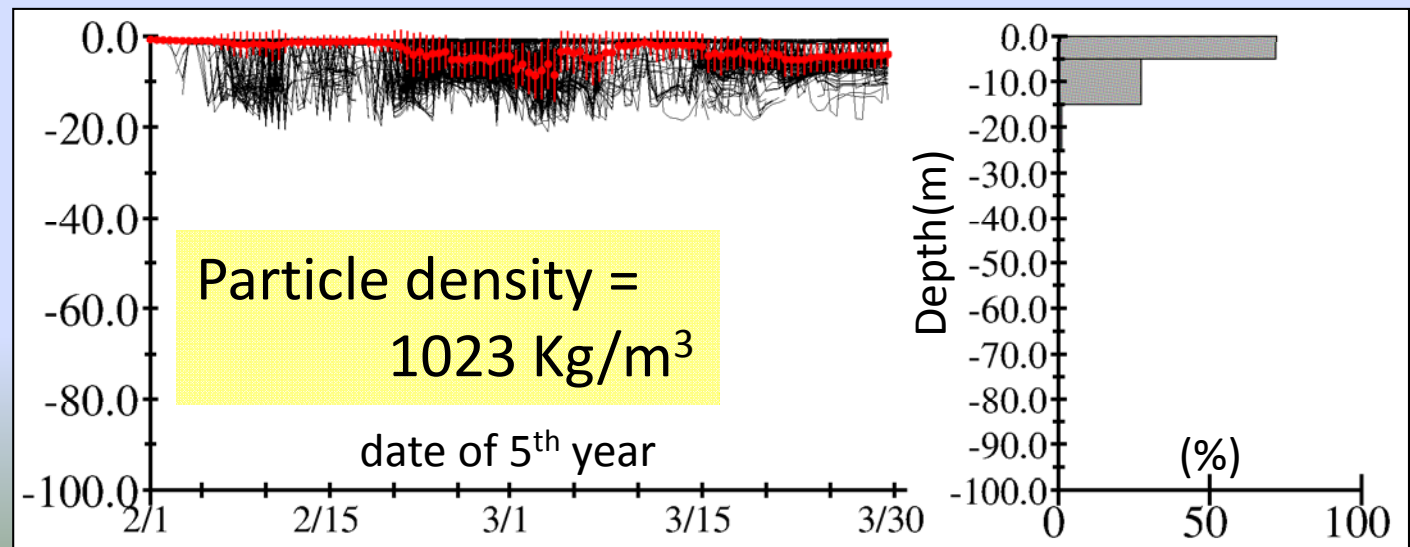
# Vertical position of particles within Funka Bay



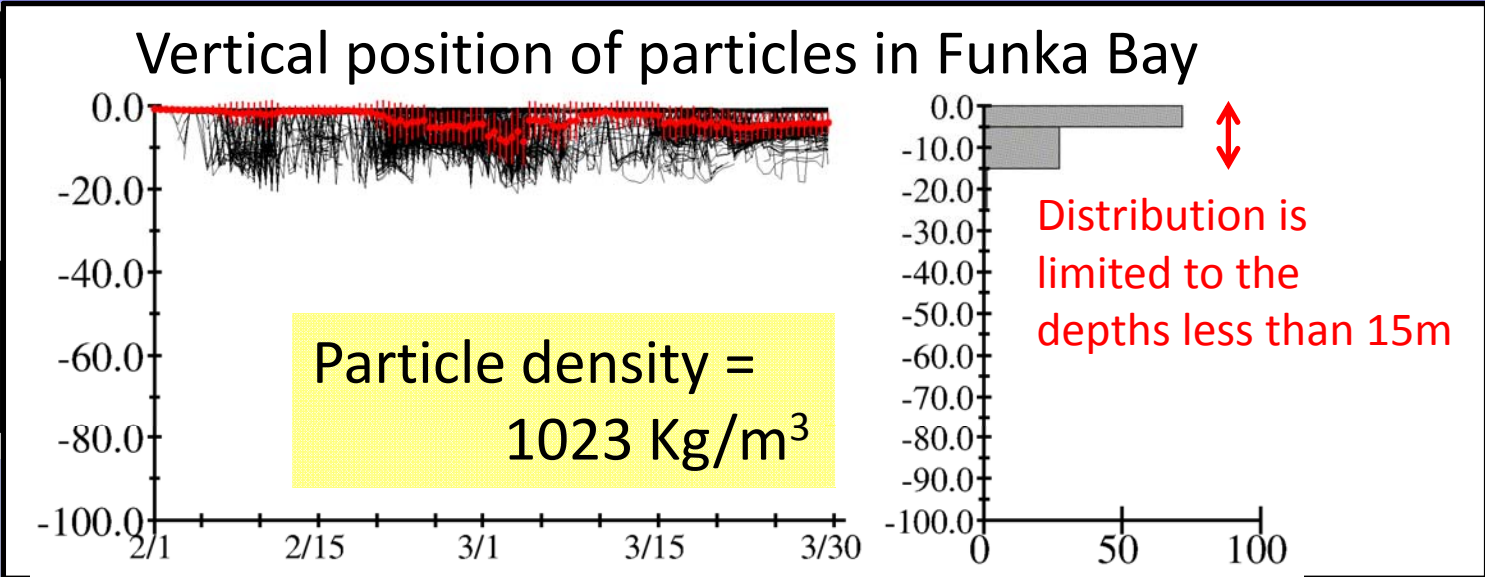
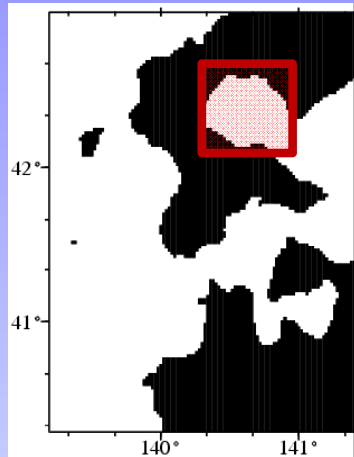
Passive  
(no buoyancy)



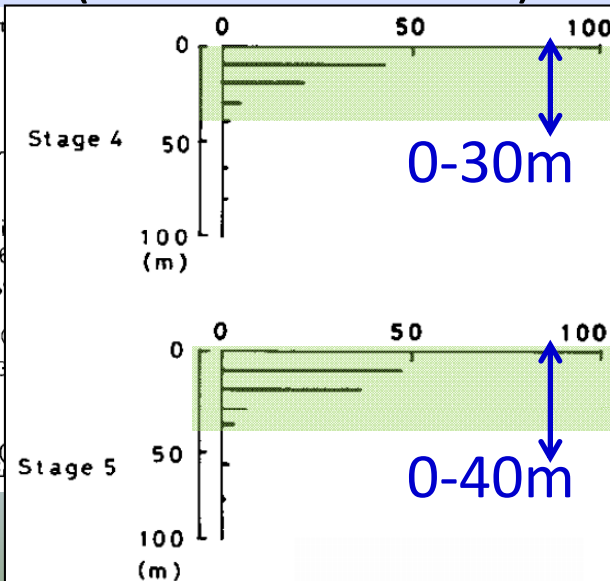
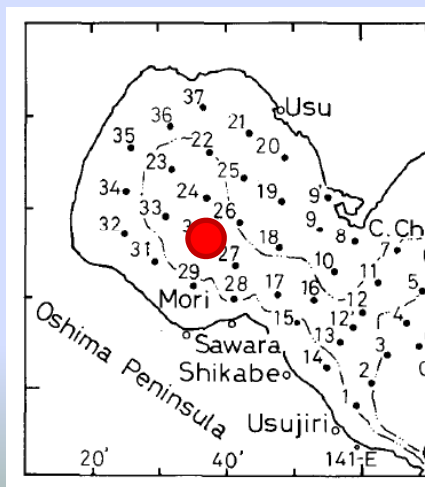
Particle  
density  
=1023 Kg/m<sup>3</sup>



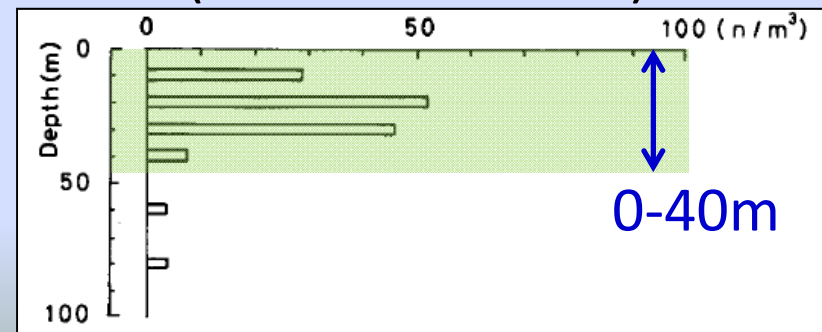
# Comparison with observation



Eggs collected by MTD nets  
(15-16 Mar. 1982)



Larvae collected by MTD nets  
(15-16 Mar. 1982)



Nakatani (1988)



# The third particle-tracking experiment Including turbulent motion

$$\begin{cases} x_{n+1} = x_n + u_{\text{model}} \delta t \\ y_{n+1} = y_n + v_{\text{model}} \delta t \\ z_{n+1} = z_n + (w_{\text{model}} + w_{\text{buoyancy}}) \delta t + K'_V \delta t + R \sqrt{2r^{-1} K_V \delta t} \end{cases}$$

Stokes' law  
(terminal velocity)      Corrected random walk  
Visser (1997)

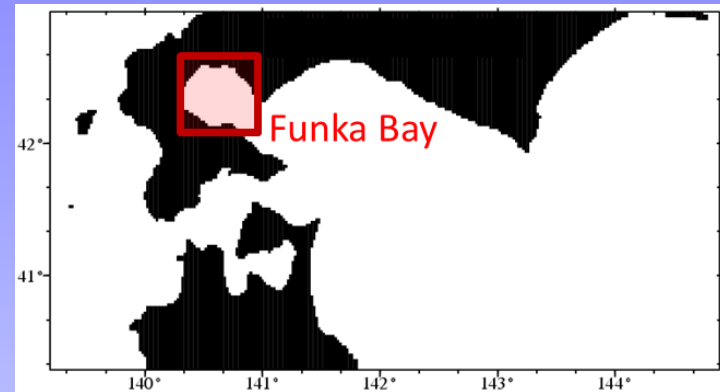
$K_V$  : vertical diffusivity derived from model

$$K'_V = \partial K_V / \partial z$$

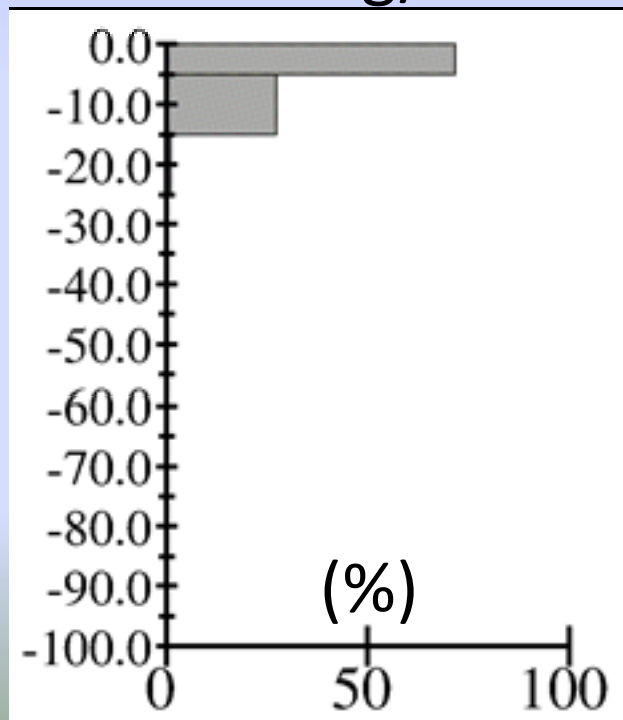
$R$  = Random number (mean = 0, standard deviation =  $r$ )

# Vertical position of particles within Funka Bay

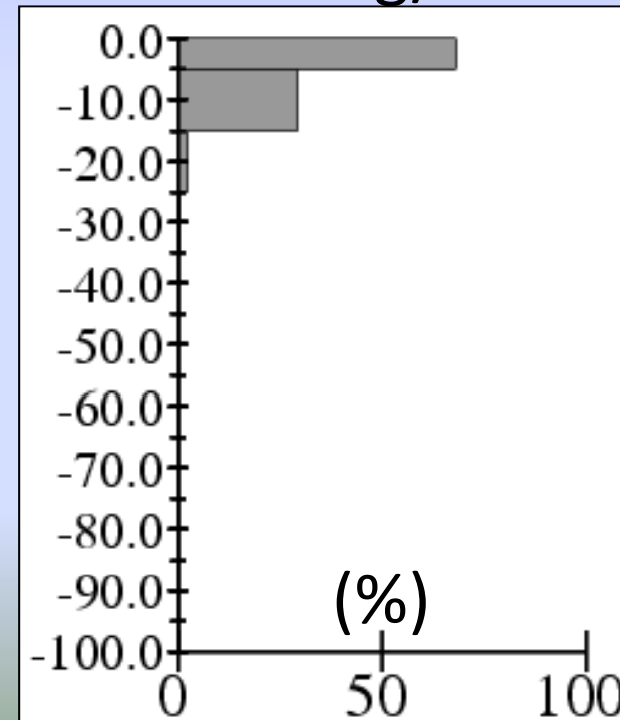
frequency distribution in March



Buoyancy  
particle density  
=1023 Kg/m<sup>3</sup>



Buoyancy **plus turbulence**  
particle density  
=1023 Kg/m<sup>3</sup>



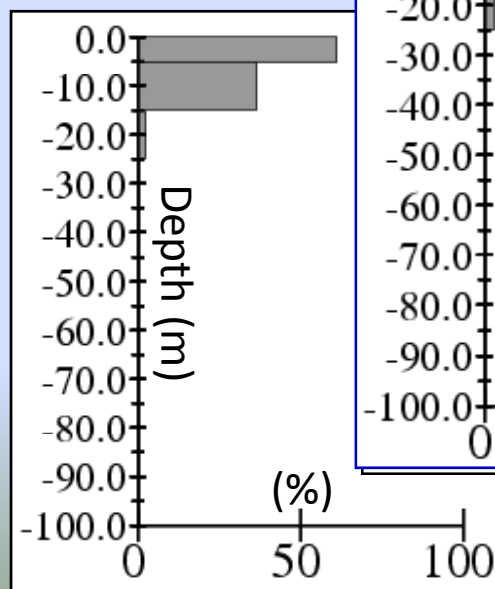
# Sensitivity of vertical distribution to particle density

- Case 1 : Turbulent motion + particle density = 1023.00 Kg/m<sup>3</sup>
  - Case 2 : Turbulent motion + particle density = 1024.00 Kg/m<sup>3</sup>
  - Case 3 : Turbulent motion + particle density = 1025.00 Kg/m<sup>3</sup>
  - Case 4 : Turbulent motion + particle density = 1026.00 Kg/m<sup>3</sup>
  - Case 5 : Turbulent motion + particle density = 1026.50 Kg/m<sup>3</sup>
- ↑ Laboratory Exp. range  
↓ Mixed layer density

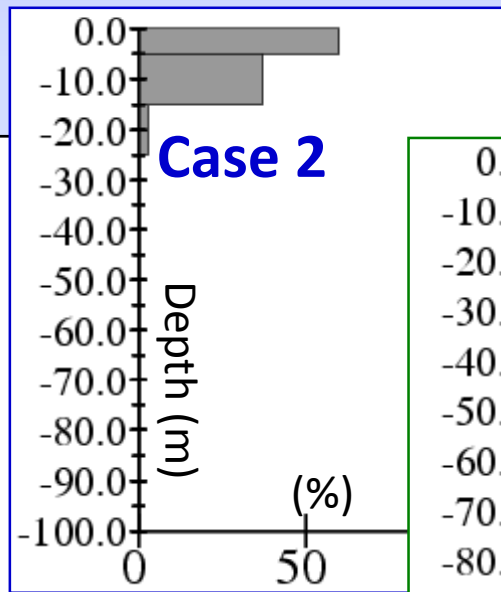
## Vertical position of particles in Funka Bay

(Frequency distribution in March)

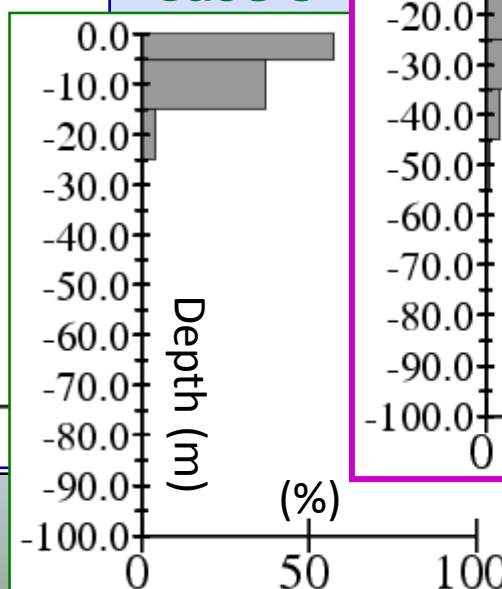
**Case 1**



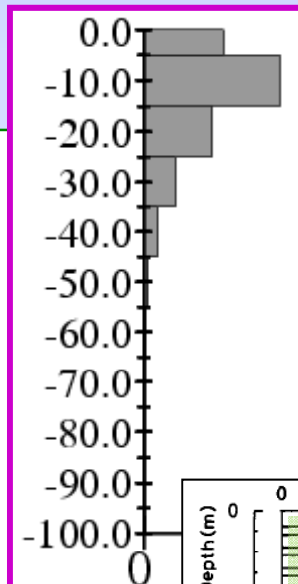
**Case 2**



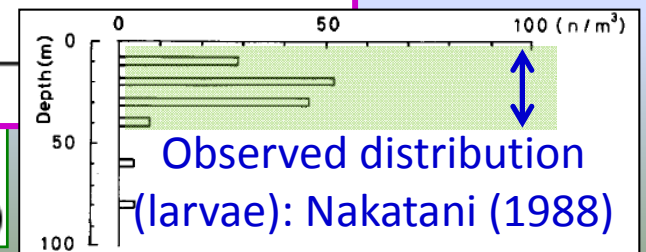
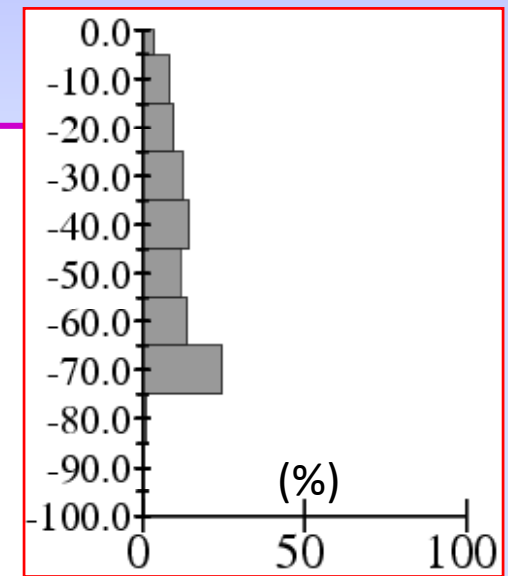
**Case 3**



**Case 4**



**Case 5**



## Sensitivity of particles remaining in Funka Bay to the density

Case 0 : Default (completely passive)

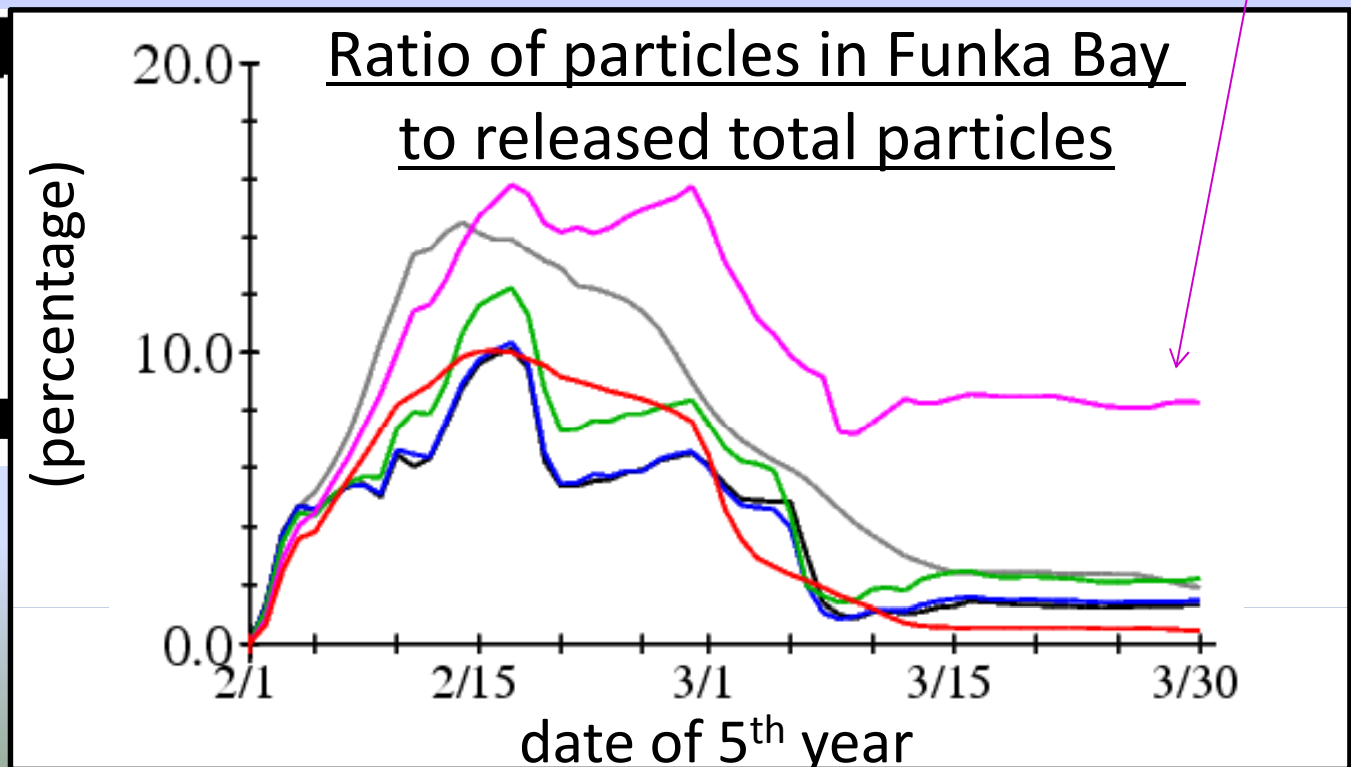
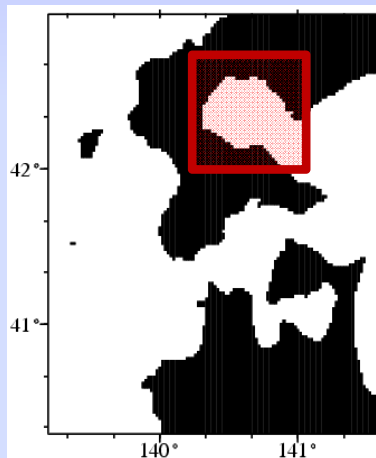
Case 1 : Turbulent motion + particle density = 1023.00 Kg/m<sup>3</sup>

Case 2 : Turbulent motion + particle density = 1024.00 Kg/m<sup>3</sup>

Case 3 : Turbulent motion + particle density = 1025.00 Kg/m<sup>3</sup>

Case 4 : Turbulent motion + particle density = 1026.00 Kg/m<sup>3</sup>

Case 5 : Turbulent motion + particle density = 1026.50 Kg/m<sup>3</sup>



# Conclusion

(1) Development of the 1/50-degree high-resolution model.

(2) Basic particle-tracking experiments showed remarkable differences in particle behavior between the 1/50- and 1/10-degree models.

- Behavior of particles transported into Funka Bay
- Horizontal dispersion
- Vertical movement

Buoyancy/density of eggs and larvae is essential.

(3) Sensitivity experiments suggested that particles remaining in Funka Bay are very sensitive to the density of eggs and larvae of walleye pollock.

Optimum density  $\sim 1026\text{Kg/m}^3$

## In future work

- We will compile historical field observation data to confirm the validity of the optimum density.
- We will perform particle-tracking experiments to clarify the causes of year-to-year variations in stock and recruitment of the walleye pollock after updating the model configuration.